PERIOD

# Unit 1, Lesson 5: The Size of the Scale Factor

Let's look at the effects of different scale factors.

### 5.1: Number Talk: Missing Factor

Solve each equation mentally.

16x = 17616x = 816x = 1 $\frac{1}{5}x = 1$  $\frac{2}{5}x = 1$ 

## 5.2: Scaled Copies Card Sort

Your teacher will give you a set of cards. On each card, Figure A is the original and Figure B is a scaled copy.

- 1. Sort the cards based on their scale factors. Be prepared to explain your reasoning.
- 2. Examine cards 10 and 13 more closely. What do you notice about the shapes and sizes of the figures? What do you notice about the scale factors?

3. Examine cards 8 and 12 more closely. What do you notice about the figures? What do you notice about the scale factors?

PERIOD

### Are you ready for more?

NAME

Triangle B is a scale copy of Triangle A with scale factor  $\frac{1}{2}$ .

- 1. How many times bigger are the side lengths of Triangle B when compared with Triangle A?
- 2. Imagine you scale Triangle B by a scale factor of  $\frac{1}{2}$  to get Triangle C. How many times bigger will the side lengths of Triangle C be when compared with Triangle A?
- 3. Triangle B has been scaled once. Triangle C has been scaled twice. Imagine you scale triangle A *n* times to get Triangle N, always using a scale factor of  $\frac{1}{2}$ . How many times bigger will the side lengths of Triangle N be when compared with Triangle A?

# 5.3: Scaling A Puzzle

Your teacher will give you 2 pieces of a 6-piece puzzle.

1. If you drew scaled copies of your puzzle pieces using a scale factor of  $\frac{1}{2}$ , would they be larger or smaller than the original pieces? How do you know?

- 2. Create a scaled copy of each puzzle piece on a blank square, with a scale factor of  $\frac{1}{2}$ .
- 3. When everyone in your group is finished, put all 6 of the original puzzle pieces together like this:

1	2	3
4	5	6

Next, put all 6 of your scaled copies together. Compare your scaled puzzle with the original puzzle. Which parts seem to be scaled correctly and which seem off? What might have caused those parts to be off?

NAME	DATE	PERIOD	

- 4. Revise any of the scaled copies that may have been drawn incorrectly.
- 5. If you were to lose one of the pieces of the original puzzle, but still had the scaled copy, how could you recreate the lost piece?

# 5.4: Missing Figure, Factor, or Copy

1. What is the scale factor from the original triangle to its copy? Explain or show your reasoning.



2. The scale factor from the original trapezoid to its copy is 2. Draw the scaled copy.



PERIOD

3. The scale factor from the original figure to its copy is  $\frac{3}{2}$ . Draw the original figure.



4. What is the scale factor from the original figure to the copy? Explain how you know.



5. The scale factor from the original figure to its scaled copy is 3. Draw the scaled copy.



NAME

PERIOD

# **Lesson 5 Summary**

NAME

The size of the scale factor affects the size of the copy. When a figure is scaled by a scale factor greater than 1, the copy is larger than the original. When the scale factor is less than 1, the copy is smaller. When the scale factor is exactly 1, the copy is the same size as the original.

Triangle *DEF* is a larger scaled copy of triangle *ABC*, because the scale factor from *ABC* to *DEF* is  $\frac{3}{2}$ . Triangle *ABC* is a smaller scaled copy of triangle *DEF*, because the scale factor from *DEF* to *ABC* is  $\frac{2}{3}$ .



This means that triangles *ABC* and *DEF* are scaled copies of each other. It also shows that scaling can be reversed using reciprocal scale factors, such as  $\frac{2}{3}$  and  $\frac{3}{2}$ .

In other words, if we scale Figure A using a scale factor of 4 to create Figure B, we can scale Figure B using the reciprocal scale factor,  $\frac{1}{4}$ , to create Figure A.

NAME

PERIOD

# Unit 1, Lesson 5: The Size of the Scale Factor

1. Rectangles P, Q, R, and S are scaled copies of one another. For each pair, decide if the scale factor from one to the other is greater than 1, equal to 1, or less than 1.

DATE



2. Triangle S and Triangle L are scaled copies of one another.

- a. What is the scale factor from S to L?
- b. What is the scale factor from L to S?
- c. Triangle M is also a scaled copy of S. The scale factor from S to M is  $\frac{3}{2}$ . What is the scale factor from M to S?



NAME DATE PERIOD

3. Are two squares with the same side lengths scaled copies of one another? Explain your reasoning.

4. Quadrilateral A has side lengths 2, 3, 5, and 6. Quadrilateral B has side lengths 4, 5, 8, and 10. Could one of the quadrilaterals be a scaled copy of the other? Explain.

(from Unit 1, Lesson 2)

5. Select **all** the ratios that are equivalent to the ratio 12 : 3. Explain how you know.

A. 6 : 1 B. 1 : 4 C. 4 : 1 D. 24 : 6 E. 15 : 6 F. 1, 200 : 300 G. 112 : 13

(from Grade 7, Unit 2, Lesson 5)